Name:



Description of Transformation:

Fírst, I notice that it looks like an exponential decay function, but the base is greater than 1. This means it must be **reflected over the y-axis**.

I also notice that the horizontal asymptote has been moved from y=0 to y=2. Therefore, there has been a **vertical shift up 2 units**.

Equation in terms of f(x):

A reflection over the y-axis will be represented by making the input, x, opposite.

A vertical shift will affect the output, so we would add 2 to f(x). The resulting equation will be

$$g(x) = f(-x) + 2$$

2) Describe the transformation performed on m(x) that produced t(x). Then write an exponential equation for t(x).

$$m(x) = e^x$$

$$t(x) = 2m(x+1) - 2$$

Anything that happens directly to the input, x, indicates a horizontal change. Since (x-h) means that a function has been shifted h units to the right, I can rewrite (x+1) as (x-(-1)). Therefore, m(x) has been **shifted left 1 unit**.

Anything that happens to the output, m(x), indicates a vertical change. The coefficient of 2 indicates a **vertical stretch by a factor of 2**..

The -3 at the end indicates a shift down 2 units.

When writing an exponential equation for t(x), we change the parent function, $m(x) = e^x$, by adding 1 to the exponent, giving the function a coefficient of 2, and subtracting 3 at the end:

$$\boldsymbol{t}(\boldsymbol{x}) = 2\boldsymbol{e}^{\boldsymbol{x}+1} - 2$$

Additional Practice:



1) The graph below is a transformation of the parent function $f(x) = 3^x$. Describe in words what transformation has occurred then write the equation of the graph. g(x)



Description of Transformation:

I notice that the horizontal asymptote has been moved from y=0 to y=2. Therefore, there has been a **vertical shift up 2 units**.

Equation: g(x)=

A vertical shift will affect the output, so we would add 2 to f(x). So,

$$g(x) = f(x) + 2$$

Then we can replace f(x) with 3^x and the resulting equation would be

 $g(x)=3^x+2$

2) Describe the transformation performed on m(x) that produced t(x).

$$m(x) = e^x$$

$$t(x) = 2e^{x+1} - 2$$

Anything that happens directly to the input, x, indicates a horizontal change. Since (x-h) means that a function has been shifted h units to the right, I can rewrite (x+1) as (x-(-1)). Therefore, m(x) has been **shifted left 1 unit**.

Anything that happens to the output, m(x), indicates a vertical change. The coefficient of 2 indicates a **vertical stretch by a factor of 2**.

The -3 at the end indicates a shift down 2 units.

Additional Practice: