$\qquad$

1. Complete the proof to the right.

## Given: $\overline{\mathrm{AB}} \cong \overline{\mathrm{CD}}, \overline{\mathrm{AD}} \cong \overline{\mathrm{CB}}$



Prove: $\angle B A D \cong \angle D C B$

| Statement | Reason |
| :---: | :---: |
| $\overline{A B} \cong \overline{C D}$ | Given |
| $\overline{A D} \cong \overline{C B}$ | Given |
| $\overline{B D} \cong \overline{D B}$ | Reflexive |
| $\triangle B A D \cong \triangle D C B$ | SSS |
| $\angle B A D \cong \angle D C B$ | CPCTC |

The first thing I did was to mark the given information on the shapes. This helped me realize that I had two of the three sides needed for SSS congruence. Then I realized that the shared side $\overline{B D}$ was the third side needed to establish that the two triangles were congruent.
Once I had established the congruence of the triangles, I used that to prove the corresponding angles $-<B A D$ and $<D C B$ were congruent.
2. State the postulate, if any, that show the two triangles below are congruent. If we can justify they are congruent finish the congruence statement.

| a) | b ) | C) |
| :---: | :---: | :---: |
|  |  |  |
| Postulate: not enough info $\Delta A W T \cong \Delta_{-}$ $\qquad$ | $\begin{aligned} \text { Postulate: } & — \underline{\text { SAS }} \\ \Delta A B D & \cong \Delta \mathrm{CBD} \end{aligned}$ | Postulate: ___ASA $\Delta S T V \cong \Delta \mathrm{UVT}$ |

a) I realized that what was given was Side-Side-Angle which is not one of the five triangle congruence postulates. I checked to see if the triangles were right triangles so that I could use Hypotenuse-Leg congruence, but they were not marked as such, so I concluded there was not enough information.
b) I was given a side and an angle that were congruent so I looked for either another side or another angle that might be congruent. That is when I realized triangle ABD shared a side, $\overline{B D}$, with triangle CBD. With the shared side being congruent, I was able to establish triangle congruence with Side-Angle-Side.
c) I was given that two angles were congruent so I realized I might use Angle-Angle-Side or Angle-Side-Angle. Either way I needed to find a congruent side. Again here I saw that the triangles shared a side so that gave me the third piece I needed. In this case the congruent side, $\overline{V T}$, was located between the two given congruent angles so Angle-SideAngle was the congruence postulate that applied.

Additional Practice on back- $\qquad$

Given the two triangles are congruent, use CPCTC to complete the congruence statements.
1)
$\Delta T U V \cong \triangle G F E$

$\angle U \cong$ ?
2)
$\Delta W V U \cong \Delta G H I$

$\angle W \cong$ ?
3)
$\triangle D E F \cong \triangle D S R$

$\angle F \cong$ ?

Mark the angles and sides that are congruent for the below pairs of congruent triangles.
4)
$\triangle B D C \cong \triangle M L K$
5)
$\triangle G F E \cong \triangle L K M$
6)
$\triangle C D B \cong \triangle C D L$


State if the two triangles are congruent. If they are, state how you know. (For example: ASA, HL, etc...) 7)

8)

10)

11)


9)
12)


State what additional information is required to prove the triangles are congruent with the theorem given.
13)

ASA


14)

SAS

15)

AAS


